## Coordinates Bingo (Pride Flag) Teacher Card

Caller App: https://www.geogebra.org/m/gay8zau3

| Point | Called |
| :---: | :---: |
| $(-12,18)$ |  |
| $(-12,-6)$ |  |
| $(24,-6)$ |  |
| $(24,18)$ |  |
| $(-12,-2)$ |  |
| $(-12,2)$ |  |
| $(-12,6)$ |  |
| $(-12,10)$ |  |
| $(-12,14)$ |  |
| $(24,-2)$ |  |
| $(24,2)$ |  |
| $(24,6)$ |  |
| $(24,10)$ |  |
| $(24,14)$ |  |
| $(-12,0)$ |  |


| Point | Called |
| :---: | :---: |
| $(-6,6)$ |  |
| $(-12,12)$ |  |
| $(-12,-3)$ |  |
| $(-3,-6)$ |  |
| $(-12,15)$ |  |
| $(0,6)$ |  |
| $(-9,-6)$ |  |
| $(3,6)$ |  |
| $(-9,18)$ |  |
| $(-6,-6)$ |  |
| $(6,6)$ |  |
| $(-6,18)$ |  |
| $(-3,-6)$ |  |
| $(9,6)$ |  |
| $(-3,18)$ |  |

## Progressive Pride Flag Math Lesson



Research the year the flag was designed and the meaning of each colour/symbol:

| Year: | Purple circle: |
| :--- | :--- |
| Red | Yellow triangle |
| Orange | White |
| Yellow | Pink |
| Green | Light blue |
| Dark blue | Brown |
| Violet | Black |

## Coordinates: construct the Pride Flag

Plot the points on the axes to create each component of the pride flag, then colour in.

| Flag Outline |  |
| :--- | :---: |
| Join these four points |  |
| to make a rectangle. | $(-12,18)$ <br> $(-12,-6)$ <br> $(24,-6)$ <br> $(24,18)$ |
| Red trapezoid | $(24,14),(24,18)$, <br> $(-3,18),(1,14)$ |
| Orange trapezoid | $(24,10),(24,14)$, <br> $(1,14),(5,10)$ |
| Yellow trapezoid | $(24,6),(24,10)$, <br> $(5,10),(9,6)$ |
| Green trapezoid | $(24,2),(24,6)$, <br> $(9,6),(5,2)$ |
| Dark blue trapezoid | $(24,-2),(24,2)$, <br> $(5,2),(1,-2)$ |
| Purple trapezoid | $(24,-6),(24,-2)$, <br> $(1,-2),(-3,-6)$ |


| Yellow triangle | $(-12,0)$ <br> $(-6,6)$ <br> $(-12,12)$ |
| :--- | :--- |
| White chevron | $(-12,-3)$ <br> $(-3,6)$ <br> $(-12,15)$ |
| Pink chevron | $(0,6)$, <br> $(-12,-3)$ <br> $(-12,15)$ |
| Pale blue chevron | $(-9,-6)$ <br> $(3,6)$ <br> $(-9,18)$ |
| Brown chevron | $(-6,-6)$ <br> $(6,6)$ <br> $(-6,18)$ |
| Black chevron | $(-3,-6)$ <br> $(9,6)$ <br> $(-3,18)$ |



| Area of a Rectangle: | Area of a Trapezoid |
| :--- | :--- | :--- |
| Area $=12$ squares. |  |
| Area of a rectangle $=$ length $\times$ width | Area of a triangle = base $\times$ height $\div 2$ |

Use the formulas or count the squares on your flag to calculate the area of each part of the pride flag:

| Whole flag | Red trapezoid | Orange trapezoid | Yellow trapezoid |
| :--- | :--- | :--- | :--- |
| Yellow triangle |  |  |  |

## Progressive Pride Flag: Answer pages



Research the year the flag was designed and the meaning of each colour/symbol:

| Year: 1978 By Gilbert Baker with developments in <br> the years 1999, 2013,2017,2018,2021 | Purple circle: Intersex person as a whole person |
| :--- | :--- |
| Red: Life | Yellow triangle: Intersex |
| Orange: Healing | White: Non-binary, people outside of the gender <br> binary |
| Yellow: Sun and light | Pink: Trans flag: people who identify as female |
| Green: Nature and serenity | Light blue: trans flag: people who identify as male |
| Dark blue: Harmony and peace | Brown and Black: LGBTQ2s+ People of colour. <br> Additionally, representing those lost to HIV/Aids, <br> those living with HIV/Aids and the stigma around <br> the virus. |
| Purple: the human spirit |  |

The chevron represents a call for progress in the rights and protections of trans, non-binary, intersex and LGBTQ+ people of colour. Hence 'progress' flag.

https://www.verywellmind.com/what-the-colors-of-the-new-pride-flag-mean-5189173
www. tentotwelvemath.com/interactive/

## Coordinates: construct the Pride Flag

| Flag Outline | $(-12,18)$ |
| :---: | :---: |
|  | $(-12,-6)$ |
|  | $(24,-6)$ |
|  | $(24,18)$ |
| Horizontal Stripes | $(-12,-2)$ |
|  | $(-12,2)$ |
|  | $(-12,6)$ |
|  | $(-12,10)$ |
|  | $(-12,14)$ |
|  | $(24,-2)$ |
|  | $(24,2)$ |
|  | $(24,6)$ |
|  | $(24,10)$ |
|  | $(24,14)$ |


| Yellow triangle | $(-12,0)$ |
| :---: | :---: |
|  | $(-6,6)$ |
|  | $(-12,12)$ |
| White hexagon > | $(-12,-3)$ |
|  | $(-3,-6)$ |
|  | $(-12,15)$ |
| Pink hexagon > | $(0,6),(-12,-3)(-12,15)$ |
| Pale blue hexagon > | $(-9,-6)$ |
|  | $(3,6)$ |
|  | $(-9,18)$ |
| Brown hexagon > | $(-6,-6)$ |
|  | $(6,6)$ |
|  | $(-6,18)$ |
| Black hexagon | $(-3,-6)$ |
|  | $(9,6)$ |
|  | $(-3,18)$ |


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Area calculations (grid squares)

| Whole flag <br> The flag on the grid measures 24 by 36 squares. $24 \times 36=864$ | Red trapezoid $\begin{aligned} & a=27, b=23, h=4 \\ & \begin{aligned} A & =\frac{a+b}{2} \times h \\ & =\frac{27+23}{2} \times 4 \\ & =\frac{50}{2} \times 4 \\ & =100 \end{aligned} \end{aligned}$ | Orange trapezoid $\begin{aligned} & a=23, b=19, h=4 \\ & A=\frac{a+b}{2} \times h \\ & = \\ & =\frac{23+19}{2} \times 4 \\ & \\ & =\frac{42}{2} \times 4 \\ & \\ & =84 \end{aligned}$ | Yellow trapezoid $\begin{aligned} & a=19, b=15, h=4 \\ & \begin{aligned} A & = \\ & \frac{a+b}{2} \times h \\ & =\frac{19+15}{2} \times 4 \\ & =\frac{34}{2} \times 4 \\ & =68 \end{aligned} \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| Yellow triangle <br> Base $=12$ <br> Height $=6$ $\begin{aligned} A & =\text { base } \times \text { height } \div 2 \\ & =12 \times 6 \div 2 \\ & =36 \end{aligned}$ | White chevron <br> White triangle: $\begin{aligned} & \text { base } \times \text { height } \div 2 \\ & =18 \times 9 \div 2=81 \end{aligned}$ <br> White chevron = =white triangle - yellow triangle $\begin{aligned} & =81-36 \\ & =45 \end{aligned}$ | Pink chevron <br> Pink triangle: $\begin{gathered} \text { base } \times \text { height } \div 2 \\ =24 \times 12 \div 2=144 \end{gathered}$ <br> Pink chevron = =pink triangle - white triangle $\begin{gathered} =144-81 \\ =63 \end{gathered}$ | Blue, brown, black <br> $1 / 2$ of the blue chevron is a parallelogram. <br> Area of blue parallelogram: $\begin{gathered} \text { base }=3, \text { height }=12 \\ A=3 \times 12=36 \end{gathered}$ <br> Area blue shape $=36 \times 2=72$ |

Total area should equal $24 \times 36=864$.
red + orange + yellow + green + blue + purple + black + brown + blue + pink + white + y-triangle
$=100+84+68+68+84+100+36+45+63+72+72+72=864 \checkmark$

